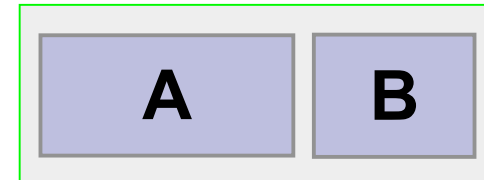


Problem



Designers working on a GUI:

- “Button A should be twice as wide as button B” ($width_A = 2 width_B$)
- “Button B should be 100 pixels wide”
- “The GUI should be no more than 200 pixels wide”

Infeasible!

Linear Programming

Input:

- Set of linear constraints C on variables

$$C \subset \left\{ \begin{array}{l} a_0x_0 + \dots + a_mx_m + b_0y_0 + \dots + b_ny_n \text{ OP } c \\ | \quad a_0, \dots, a_m, b_0, \dots, b_n, c \in \mathbb{R} \wedge \text{OP} \in \{\leq, =, \geq\} \end{array} \right\}$$

- Linear objective function to minimize

$$c_1x_1 + c_2x_2 + \dots + c_nx_n$$

Output: variable values so that...

- All constraints are satisfied
- The value of the objective function is minimal

Soft Constraints

$width_A = 2 width_B$ is a **hard** constraint

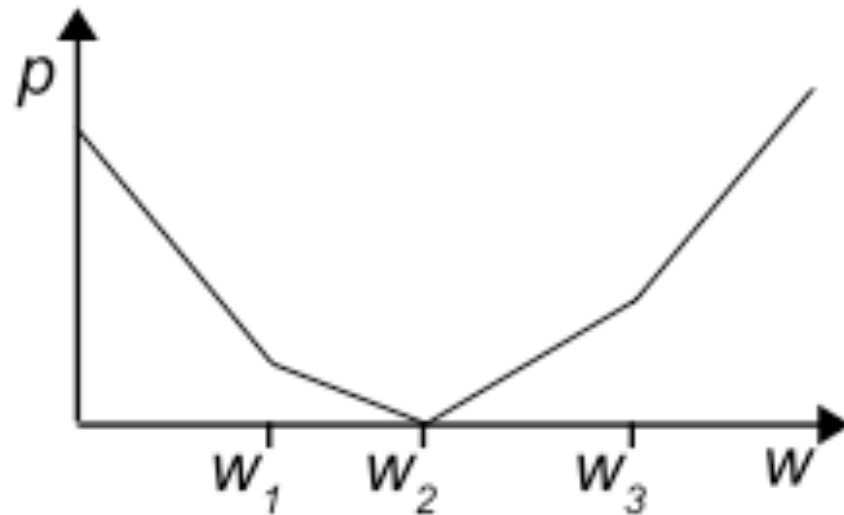
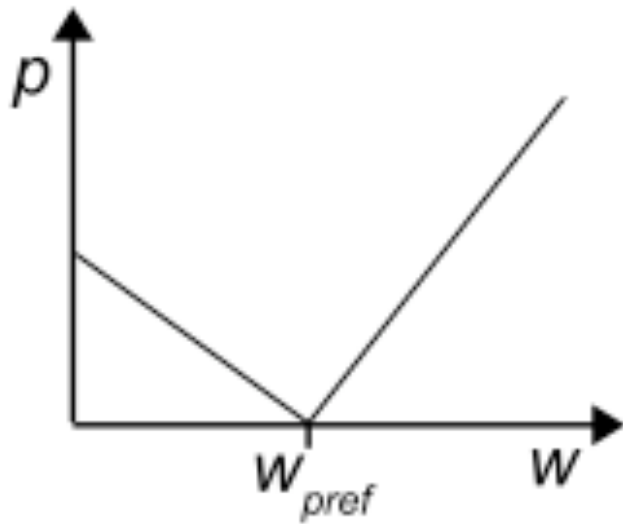
1. Allow $width_A$ to be smaller or bigger

$$width_A + d_1 - d_2 = 2 width_B \quad d_1 \geq 0, d_2 \geq 0$$

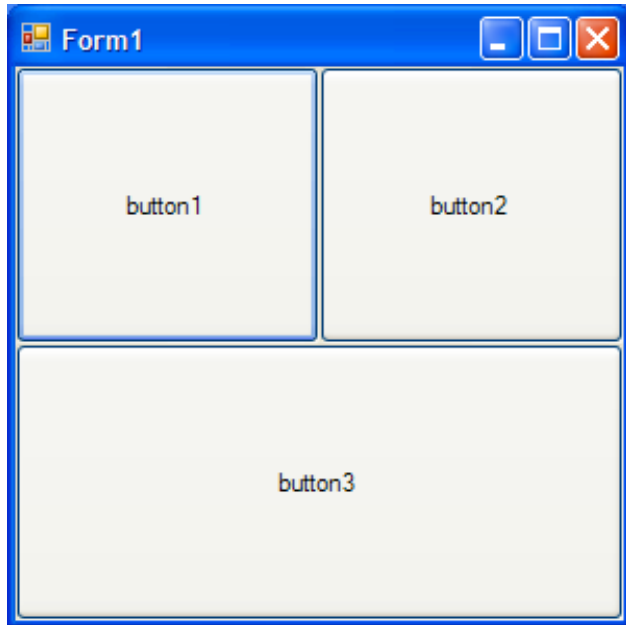
2. $width_A$ should not be much smaller/bigger

$$objective\ function = d_1 + d_2$$

Example functions of penalty over length



Example 1



```
LayoutSpec ls = new LayoutSpec();
```

```
XTab x1 = ls.AddXTab();
```

```
YTab y1 = ls.AddYTab();
```

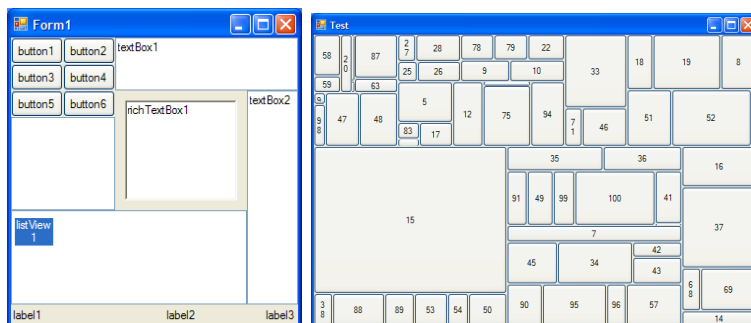
```
ls.AddArea(ls.Left, ls.Top, x1, y1, button1);
```

```
ls.AddArea(x1, ls.Top, ls.Right, y1, button2);
```

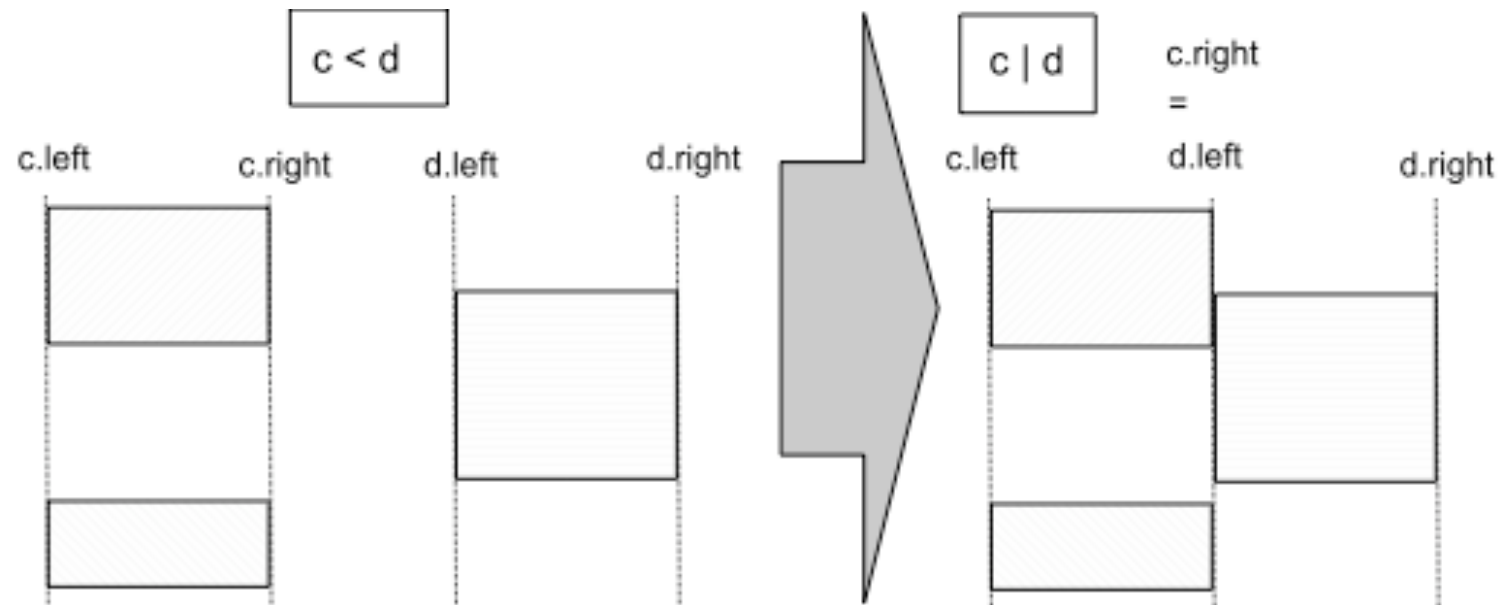
```
ls.AddArea(ls.Left, y1, ls.Right, ls.Bottom, button3);
```

```
ls.AddConstraint(new double[] { 2, -1 }, new  
Variable[] { x1, ls.Right }, OperatorType.EQ, 0);
```

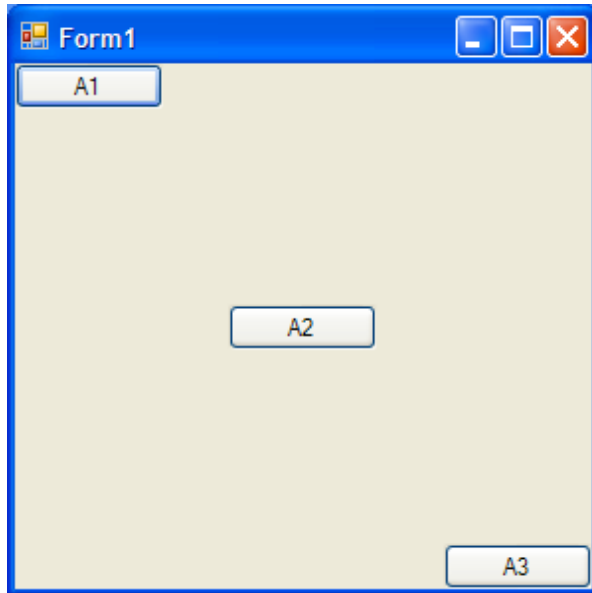
```
ls.AddConstraint(new double[] { 2, -1 }, new  
Variable[] { y1, ls.Bottom }, OperatorType.EQ, 0);
```



Rows



Example 2

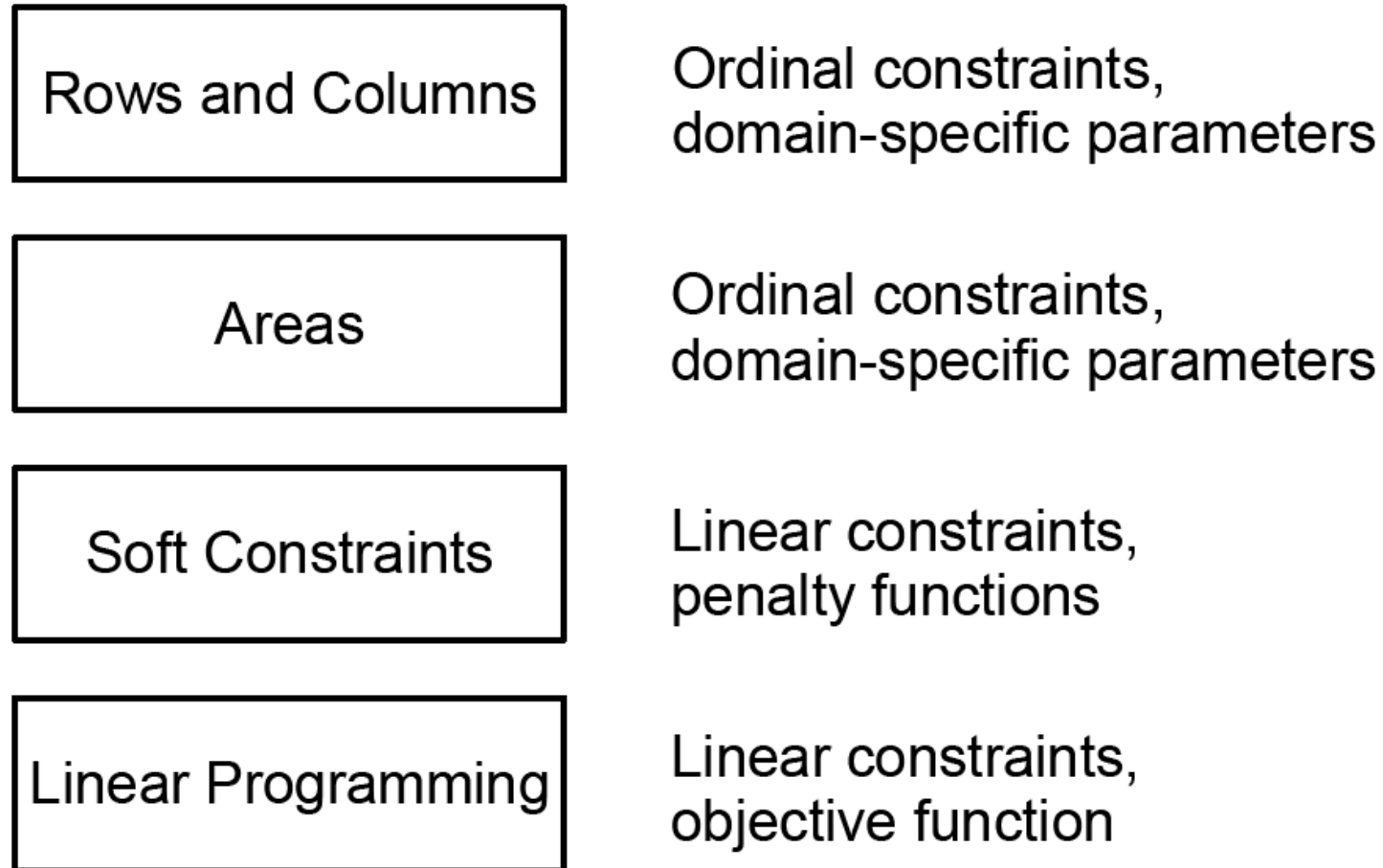


```
LayoutSpec ls = new LayoutSpec();  
Column c1 = ls.AddColumn();  
Row r1 = ls.AddRow();  
Row r3 = ls.AddRow();  
r1.Next = r3;  
Row r2 = ls.AddRow();  
r2.InsertAfter(r1);  
// ...
```

```
Area a1 = ls.AddArea(r1, c1, b1);  
a1.HAlignment = HorizontalAlignment.LEFT;  
a1.VAlignment = VerticalAlignment.TOP;  
Area a3 = ls.AddArea(r3, c1, b3);
```

```
r2.HasSameHeightAs(r1);  
r3.HasSameHeightAs(r1);
```

ALM Levels of Abstraction



Modularity of ALM Specifications

- Compositional nature of constraints
 - Separate different concerns in a GUI into modules
 - Manage them separately and recombine them later
- Developers may omit irrelevant details
 - Solution space can be infinite (→ more flexibility)
 - E.g. partial order of GUI elements
 - Automatic inference of default values where necessary
 - E.g. parameters for resizing behavior

Module Example

```
class MyModule {  
    public XTab Left, Right;  
    public YTab Top, Bottom;  
    ...  
    public  
    MyModule(LayoutSpec ls, ...) {  
        Left = ls.AddXTab();  
        ls.AddArea(...,  
            new Button());  
        ls.AddConstraint(...);  
        ...  
    }  
}
```

```
LayoutSpec ls =  
    new LayoutSpec();  
XTab x1 = ls.AddXTab();  
  
MyModule m1 =  
    new MyModule(ls, ...);  
ls.addEq(ls.Left, m1.Left);  
ls.addEq(ls.Top, m1.Top);  
ls.addEq(x1, m1.Right);  
ls.addEq(ls.Bottom, m1.Bottom);  
  
MyModule m2 =  
    new MyModule(ls, ...);  
ls.addEq(x1, m2.Left);  
...
```

Conclusion

- The Auckland Layout Model (ALM):
tabs, areas, linear constraints, ...
- Modularity through
 - Compositional nature of constraints
 - Partial specifications and default values
 - Classes as modules
- Multi-platform, open-source
- Linear programming makes it possible to transform hard constraints into soft constraints
- Project website:
<http://www.cs.auckland.ac.nz/~lutteroth/projects/alm/>